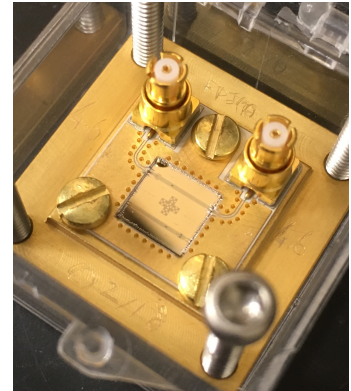
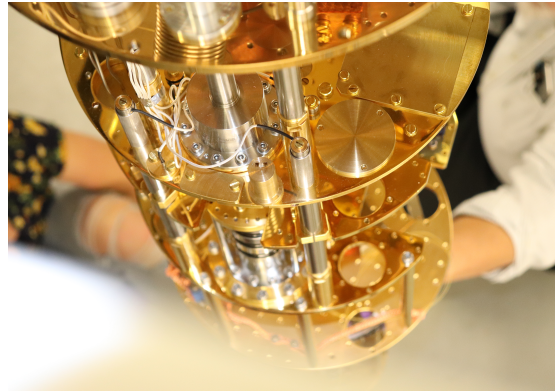
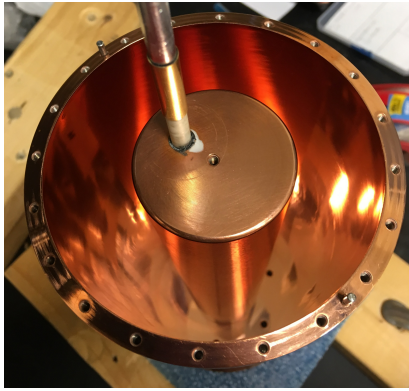
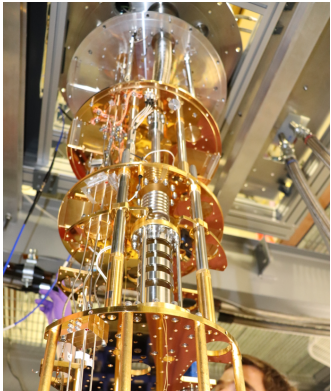


Speeding up the Search for Axions with Quantum Squeezing



Kelly Backes

CPAD

March 22, 2021



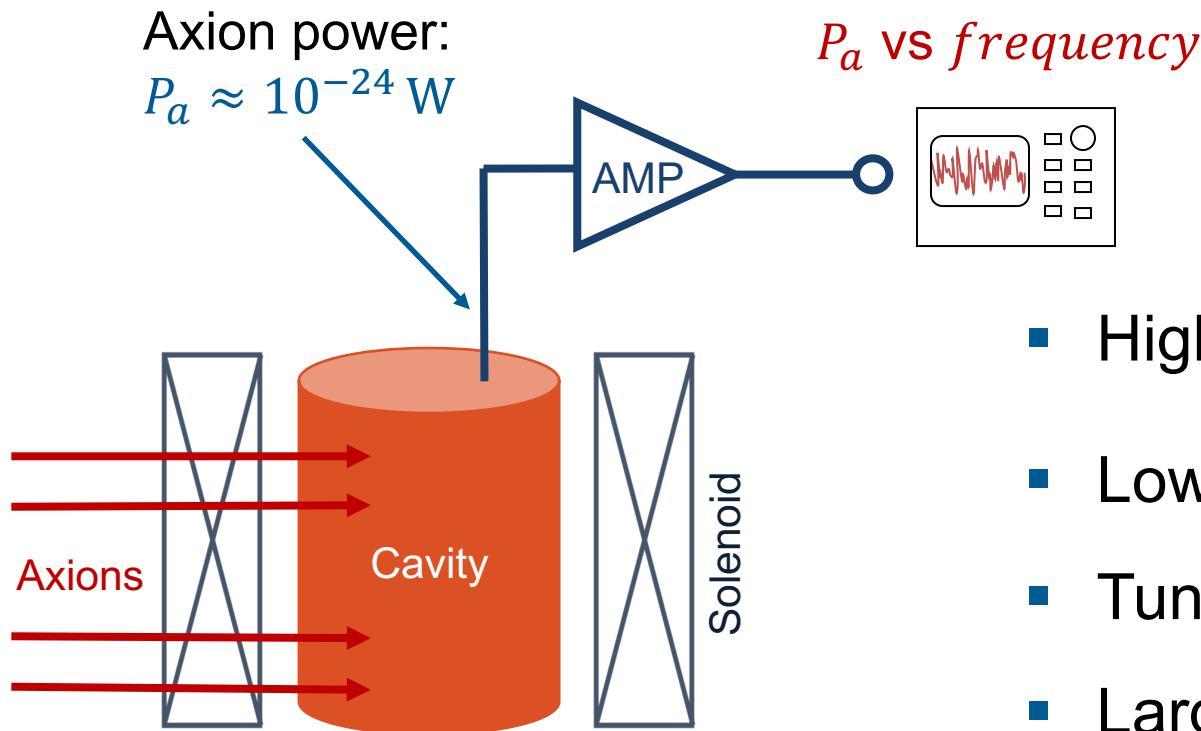
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The Haloscope Detection Scheme

Interaction: $\mathcal{L} \supset g_{a\gamma\gamma} a \mathbf{E} \cdot \mathbf{B}$



- High Q cavity: $Q = \frac{f_c}{\Delta f_c}$
- Low noise amplifier
- Tunable: $hf_a \approx m_a c^2$
- Large magnet: $B = 8 \text{ T}$
- Cryogenic: $T = 60 \text{ mK}$

haloscope principle: P. Sikivie, *Phys. Rev. Lett.*, **51**, 1415 (1983)

Haloscope Figures of Merit

Figures of merit:

- Signal to noise ratio: $SNR = \frac{P_a}{N_S} \sqrt{\frac{\tau}{\Delta f_a}}$
- Scan rate: $R \propto \int SNR(f)^2$

Frequency scaling:

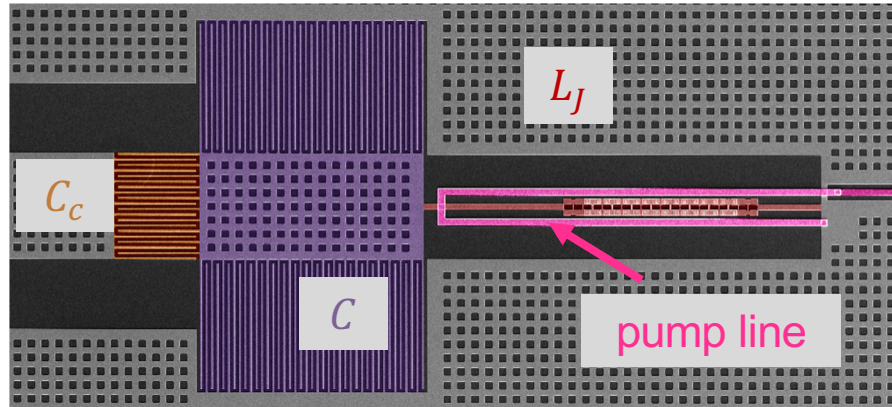
- Decreased signal power: $P_a \propto QV$
- Effective scan rate scaling: $R \propto \nu^{-14/3}$



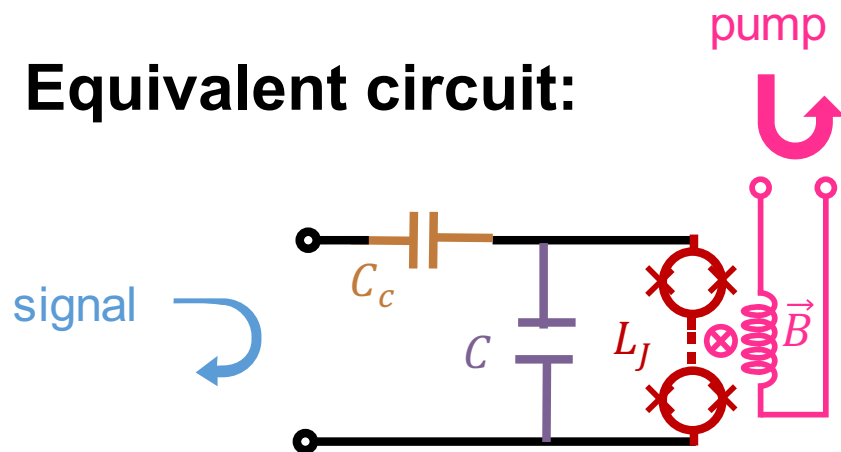
$$f \approx 5 \text{ GHz}$$

Josephson Parametric Amplifiers (JPAs)

Image:



Equivalent circuit:

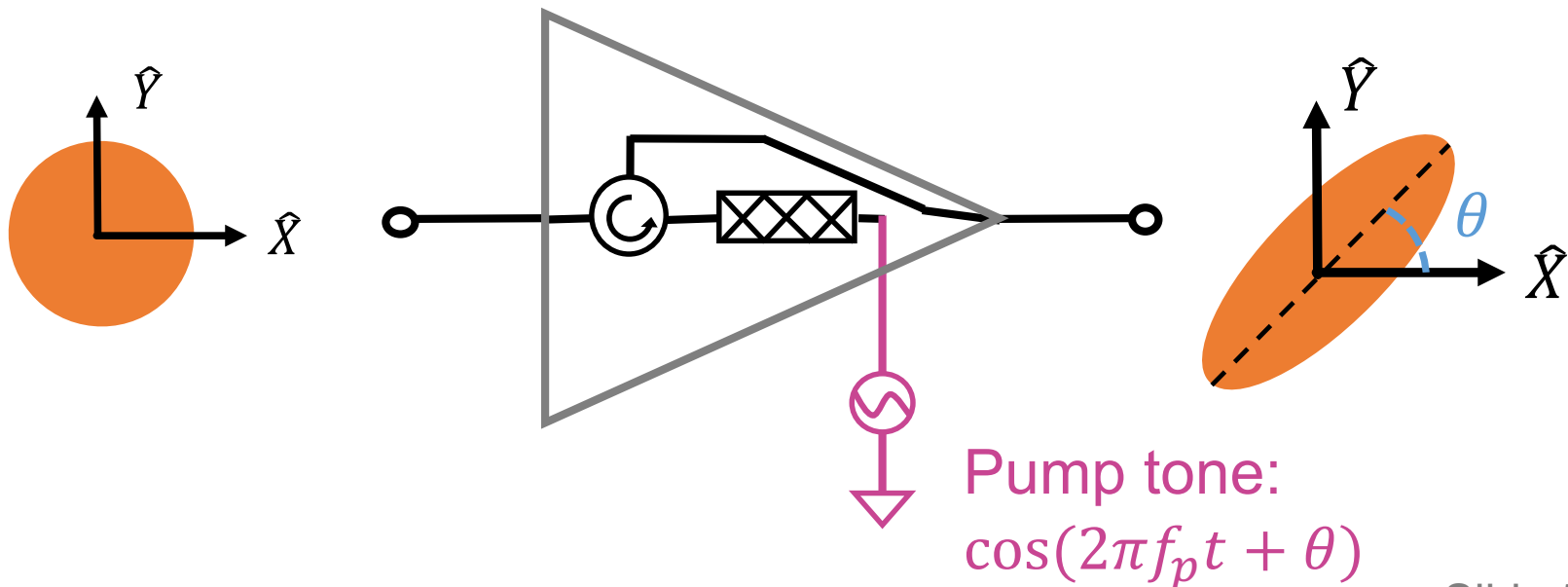
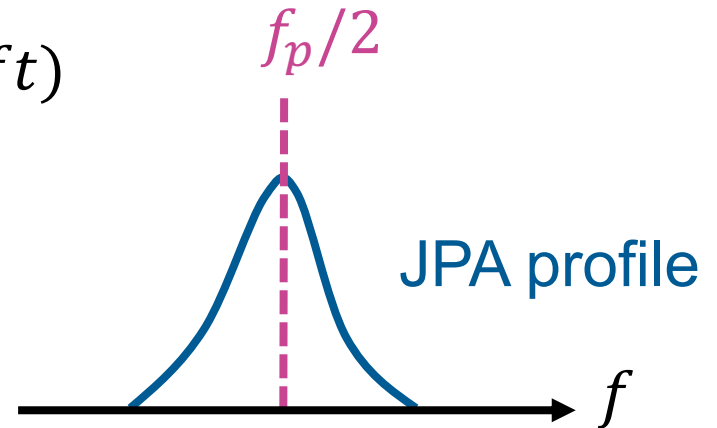


- Tunable LC resonator
- Inductance from SQUIDs
- $\omega_0 = 1/\sqrt{LC}$

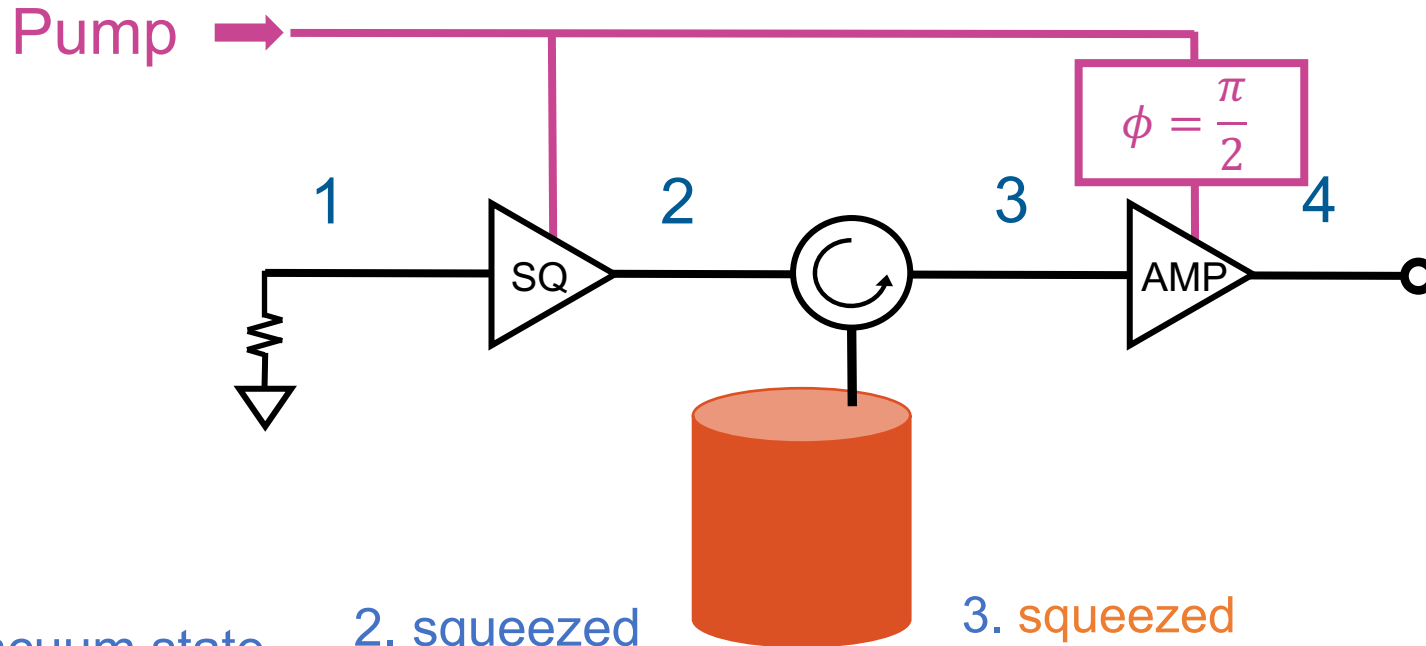
JPA's Source Squeezed States

Signal: $\hat{V} = \hat{X}\cos(2\pi f t) + \hat{Y}\sin(2\pi f t)$

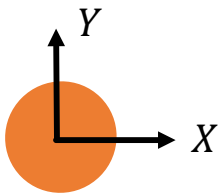
Uncertainty: $\sigma_{\hat{X}}^2 \sigma_{\hat{Y}}^2 \geq \frac{1}{4}$



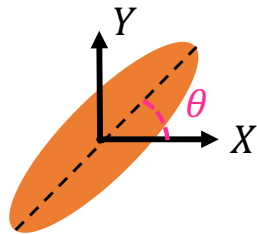
Squeezed State Receiver Operation



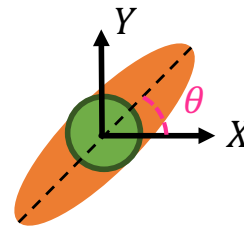
1. vacuum state



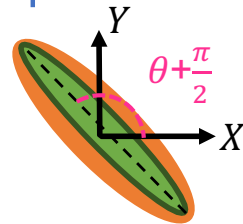
2. squeezed state



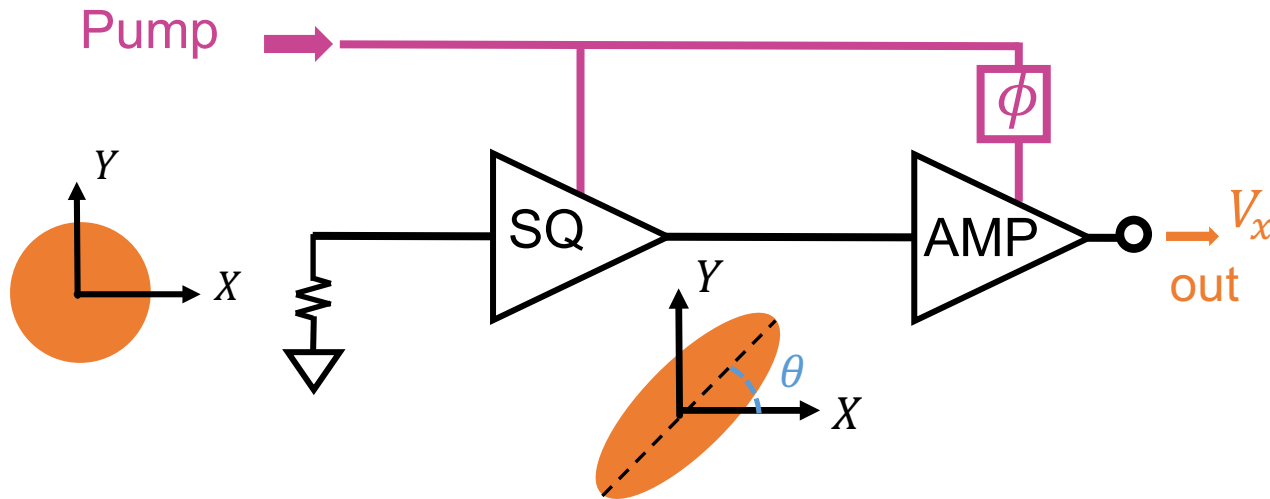
3. squeezed state + cavity noise



4. squeezed quadrature amplified

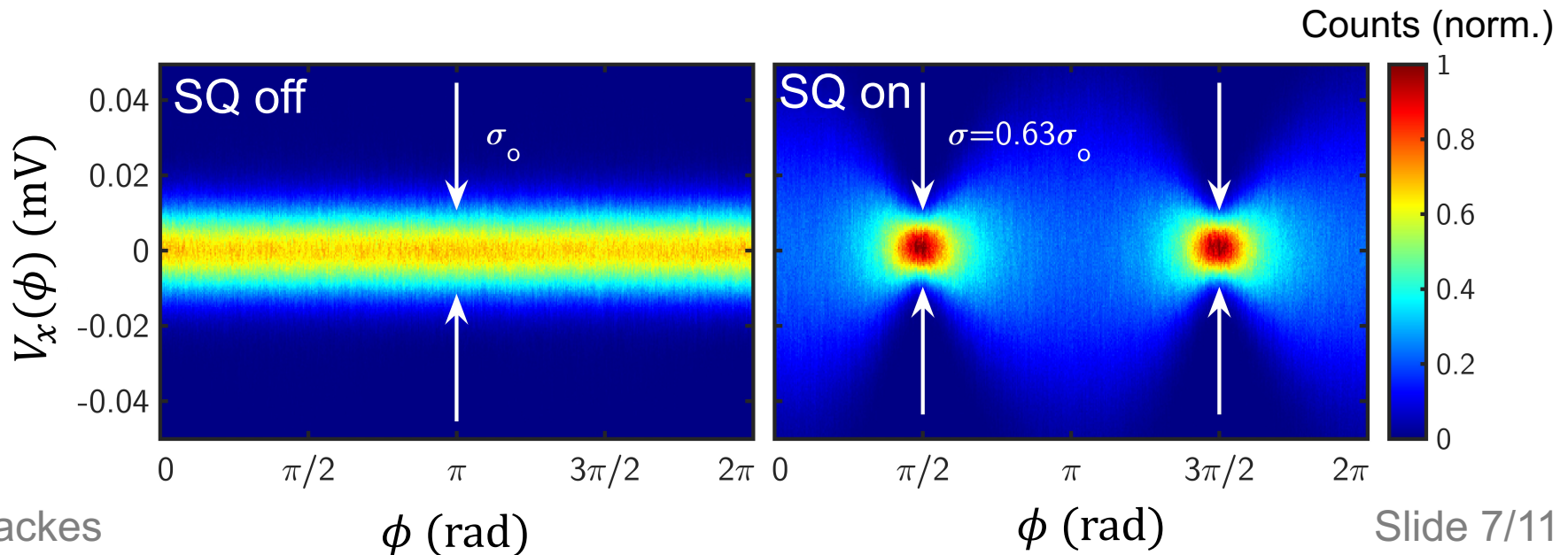


Measured Noise Reduction

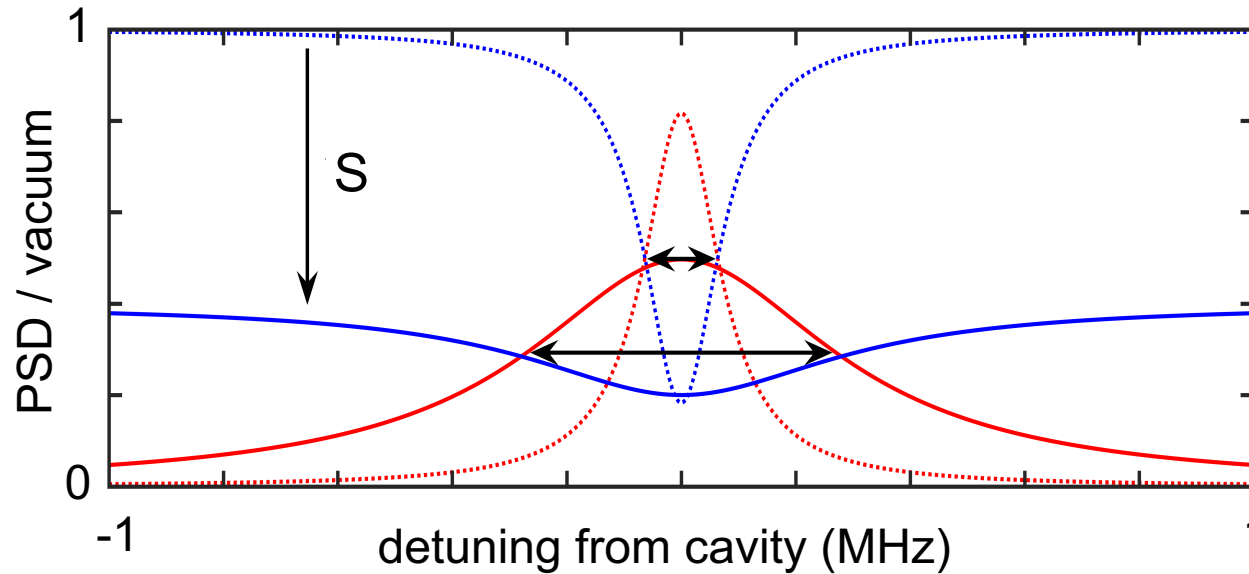


$$S = \frac{\sigma_{on}^2}{\sigma_{off}^2} = 4.0 \text{ dB}$$

$$\text{Speedup} = 1.9 \times$$



Squeezed State Receiver Benefit



Reflected noise reduction:

$$S = 4.0 \text{ dB}$$

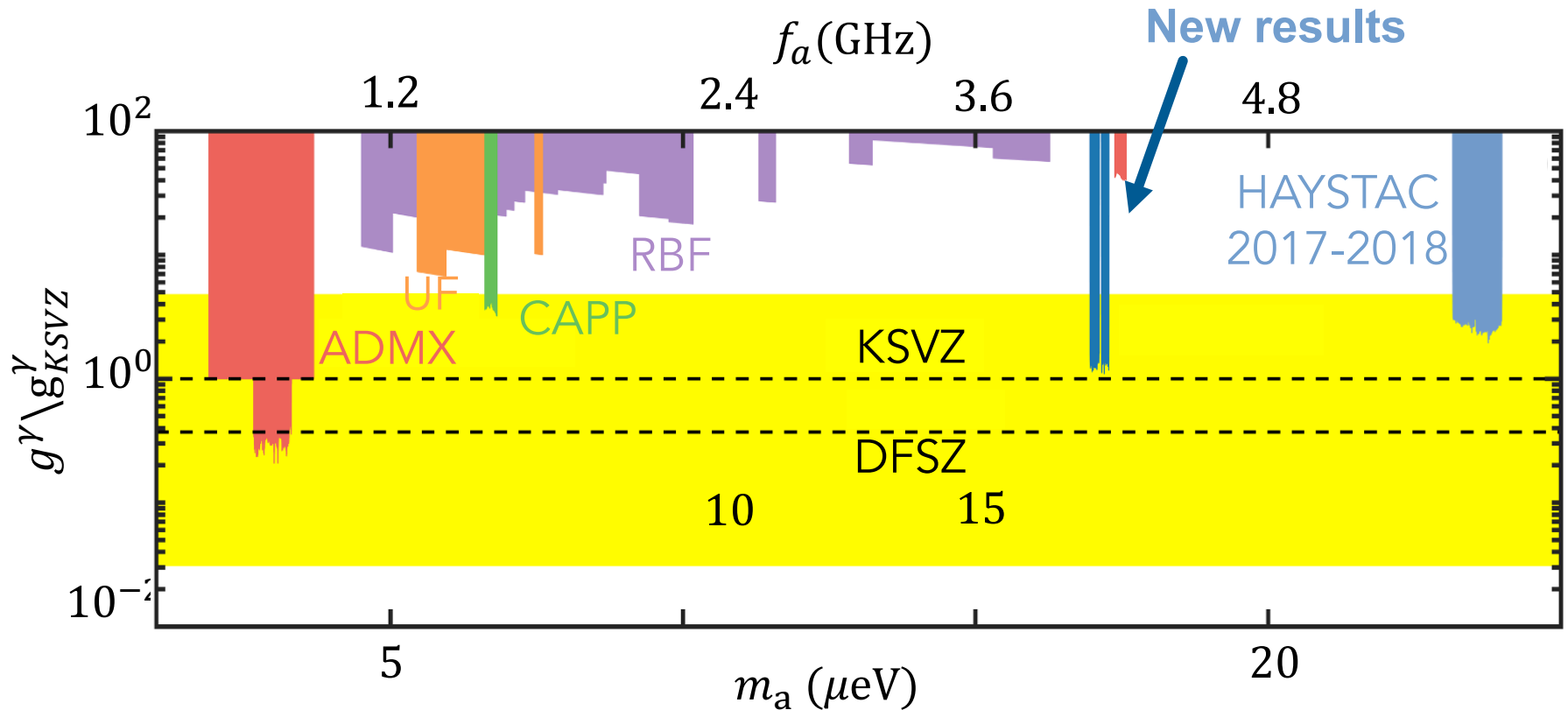
Scan rate:

$$R \propto \int \text{SNR}(f)^2$$

- cavity noise
 - reflected noise
 - cavity noise
 - reflected noise
- } SQ off, 2.0× overcoupled
- } SQ on, 7.1× overcoupled

Most sensitive axion search $> 10 \mu\text{eV}$

First dark matter exclusion enhanced by quantum squeezing



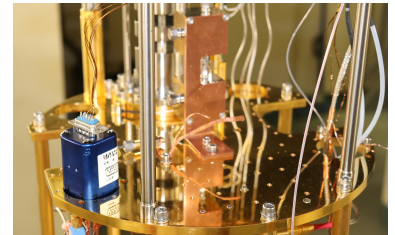
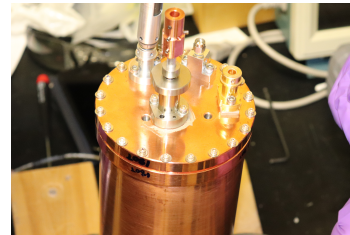
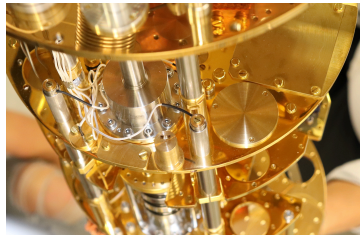
Conclusion

- Excluded 70 MHz of axion parameter space at $1.38 \times g_{KSVZ}^\gamma$
- First quantum squeezed state enhanced run is complete
- Doubled data collection rate with quantum squeezing

Thanks:



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Laboratory



Further reading:

Squeezing results: [arxiv.org:2008.01853](https://arxiv.org/abs/2008.01853) (2020)

Bayesian analysis: Phys. Rev. D, **101**, 123001 (2020)

Squeezed state receiver: Phys. Rev. X **9**, 021023 (2019)

Analysis: Phys. Rev. D **96**, 123008 (2017)

First results: Phys. Rev. Lett. **118**, 061302 (2017)

Instrumentation: Nucl. Instrum. Methods A **854**, 11 (2017)

Thank you!

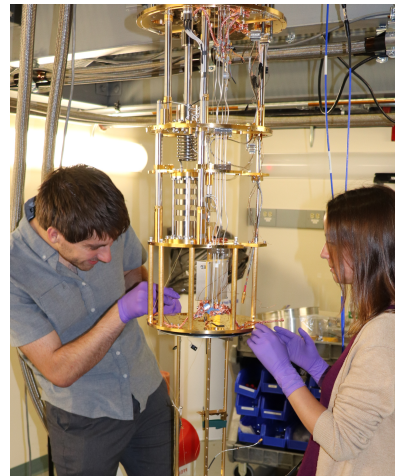
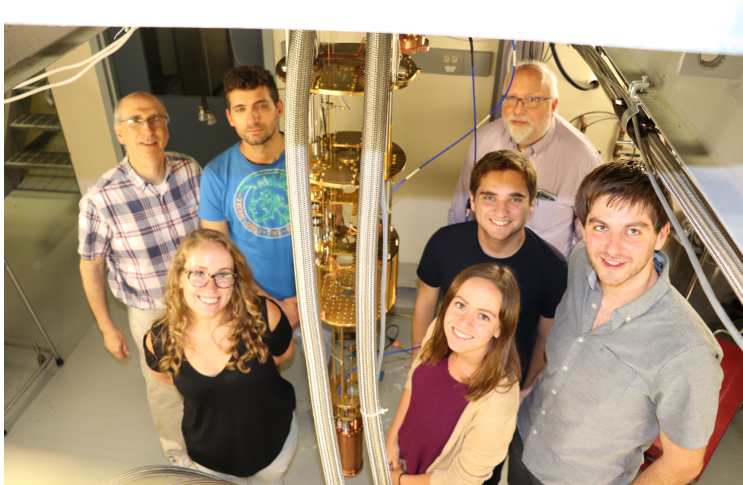
Haystack



JILA
CU Boulder and NIST



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Laboratory

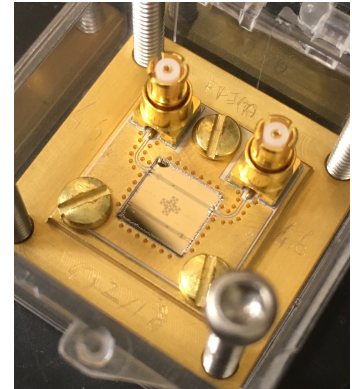
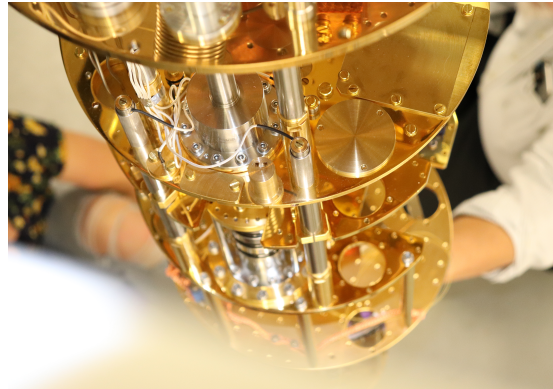
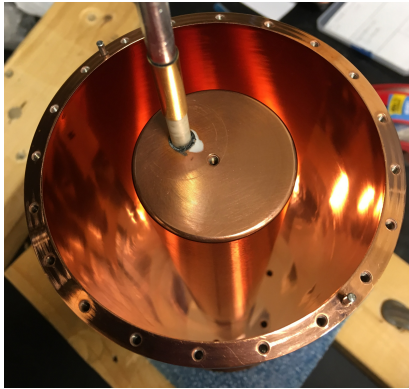
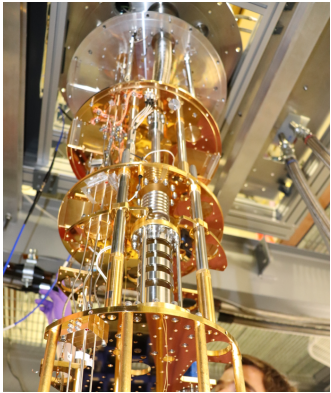


Funding:



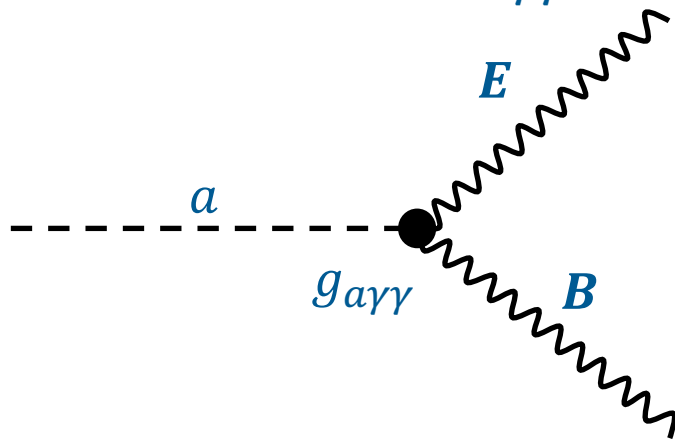
HEISING-SIMONS
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Backup Slides

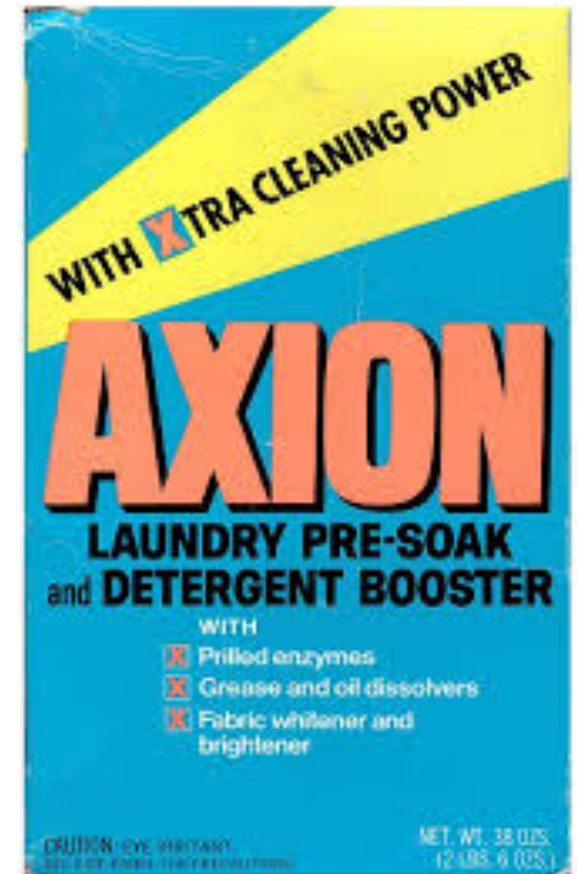


The Axion: A Well-Motivated Solution

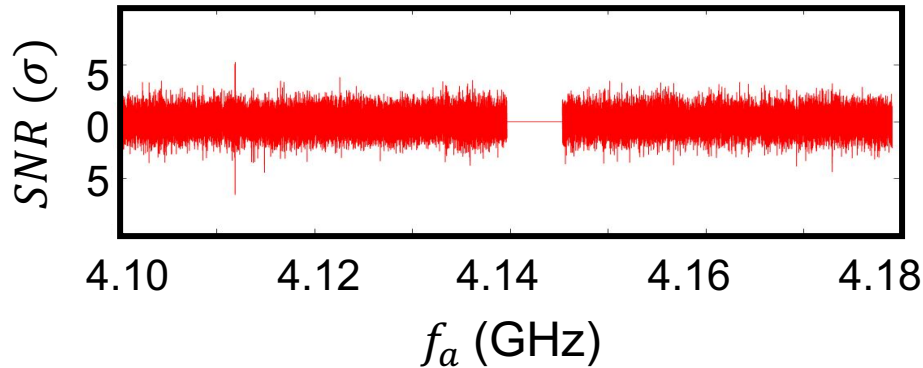
- Strong CP problem solution: $\Theta \propto a(x)$
- Lifetime: $L > \text{current age of universe}$
- Couples weakly: $m_a \propto g_{a\gamma\gamma}$
- Interaction: $\mathcal{L} \supset g_{a\gamma\gamma} a \mathbf{E} \cdot \mathbf{B}$



- Acts like a classical field: $hf_a \approx m_a c^2$



Applying the Bayesian Analysis



Prior update:

$$U(\sigma) = \frac{P(\sigma|\text{axion})}{P(\sigma|\text{no axion})}$$

- Calculate U for each measured power
- Determine $U = 0.1$ at each frequency

